

Introduction

- ❖ **Monin-Obukhov similarity theory (MOST)**
Valid in principle for Horizontally Homogeneous and Flat surfaces (HHF)
- ❖ **Similarity**
 - Can solve the closure problem in conservation equations
 - Also necessary in complex terrain
 - Applied in numerical models
 - Useful in hydrology, air-quality applications etc.
- ❖ **Research question:** MOST or local scaling in complex terrain?

Table 1: Main characteristics of the i-Box measurement sites.

Sites	Name	Slope (°)	Levels	Tower Height (m)	Elevation (m)	Orientation
Kolsass	CS-VF0	0	3	16.93	545	Valley floor
Terfens	CS-SF8	8	2	12	575	South-facing
Eggen	CS-SF1	1	1	6,6	829	South-facing
Weerberg	CS-NF10	10	1	7	930	North-facing
Hochhäuser	CS-NF27	27	1	6.8	1009	North-facing
(*) Arbeser	CS-MT21	21	1	4	2020	Mountain-top

Research method

- ❖ **Experimental data**
 - From 5 i-Box sites (Fig.1; table 1)
 - 17 months (8/2013-12/2014)
- ❖ **Post-processing method**
 - Double Rotation/Multiple despiking
 - High quality criteria (Stiperski and Rotach, 2015)
 - Additional humidity filter: weak signal periodicity → discarded signal < 50mV
- ❖ **Similarity considerations**
 - MOST: Universal functions
 - Local scaling: individual best-fit functions
 - General formulation for temperature and humidity variance for stable and unstable :

$$\frac{\sigma_x}{x_*} = \alpha(1 + b|\zeta|)^c \quad (a)$$
 - MOST: $c = -1/3$ (for $\zeta < 0$) and $c \approx 0$ (for $\zeta > 0$)
 - Local (e.g. Nadeau et al. 2013): $c = -1/3$ (for $\zeta < 0$) and $c \approx 0$ (for $\zeta > 0$)

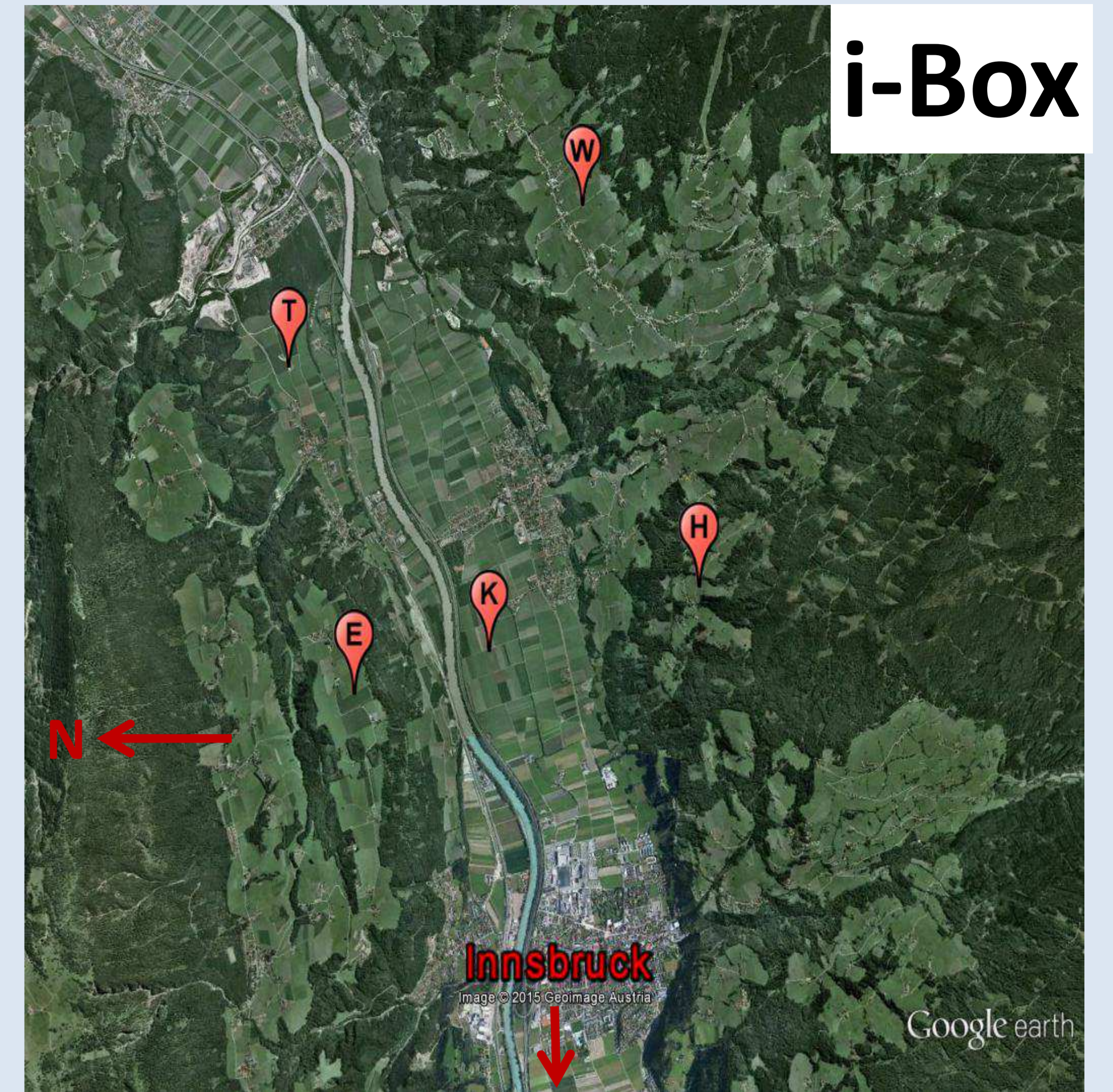


Fig. 1: The i-Box area in the Inn Valley and the 6 i-Box sites, Kolsass (K), Terfens (T), Eggen (E), Weerberg (W) and Hochhäuser (H).

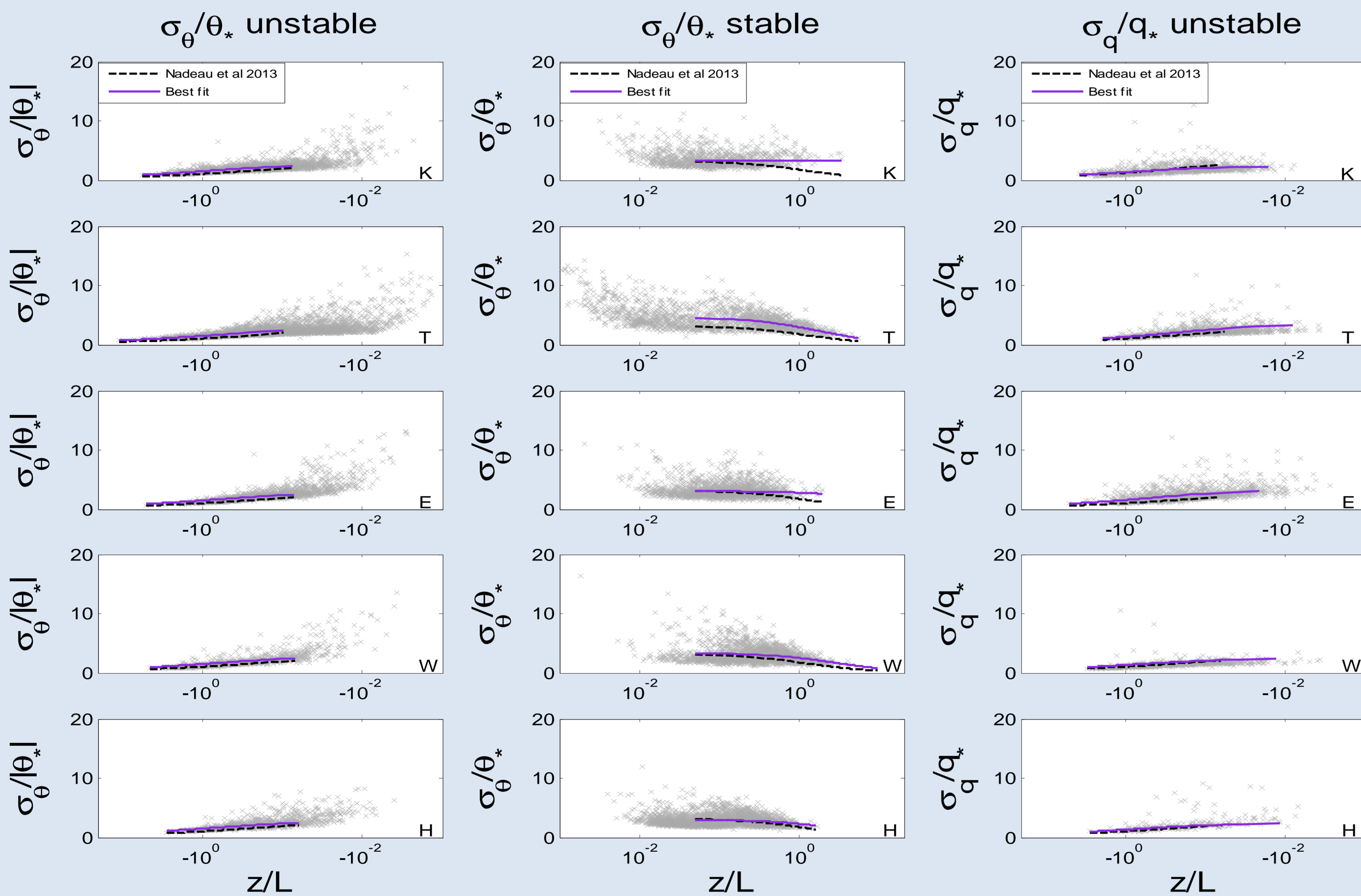


Figure 3: Scaled standard deviation of temperature and humidity with the stability parameter $\zeta = z/L$, for $\zeta < 0$ (unstable) and $\zeta > 0$ (stable), for Kolsass (K), Terfens (T), Eggen (E), Weerberg (W) and Hochhäuser (H). The best-fit curve for every data set and the curve fit of Nadeau et al (2013) are shown, until $\zeta = 0.05$ (only for temperature variance) in order to exclude the large scatter in near-neutral conditions.

Results of temperature variance

- unstable**
 - ❖ Local scaling can be applied: similarity functions (Table 2)
 - ❖ The -1/3 exponent is successful: small root-mean-square errors (RMS)
 - ❖ No neutral limit (Fig. 3) (Tampieri et al. 2009)
 - ❖ No general complex terrain formulation is found (yet?)
- stable**
 - ❖ Larger scatter than unstable (Fig. 3)
 - ❖ Again in near-neutral limit the similarity functions diverge (Tampieri et al. 2009)
 - ❖ The -1 exponent is not successful at all stations
 - The flat sites (Kolsass and Eggen) present very small exponent
 - Slope dependence of the exponent?

Results of humidity variance

unstable

- ❖ Large scatter (Fig. 3)
- ❖ The -1/3 exponent seems to be successful
- ❖ Near-neutral: finite value approached
- ❖ No general complex terrain formulation

stable

- ❖ Large scatter for all i-Box sites (Fig. 5) in accordance to previous literature (e.g. Moraes et al. 2005)
- ❖ Local scaling does not seem to apply: no regularities

Table 2: Coefficients of best-fit similarity functions for temperature variance and RMS, with respect to best fit curve and from literature curve (Nadeau et al. 2013), for the 5 i-Box sites, for $\zeta > 0$ and $\zeta < 0$.

i-Box sites	Fitting curves				RMS (Nadeau et al. 2013)		RMS (best fit)	
	$\zeta < 0$ (unstable)		$\zeta > 0$ (stable)		$\zeta < 0$ unstable	$\zeta > 0$ stable	$\zeta < 0$ unstable	$\zeta > 0$ stable
	a	b	a	b				
Kolsass	2.66	-4.67	3.34	0	0.4	1.79	0.19	1.2
Terfens	3.03	-8.45	4.64	0.57	0.48	3.22	0.24	1.44
Eggen	5.81	-99.75	3.06	0.01	0.5	1.18	0.24	1.06
Weerberg	5.74	-100.73	3.37	0.35	0.43	1.71	0.26	1.42
Hochhäuser	4.39	-32.12	3.01	0.31	0.79	0.72	0.45	0.68
Nadeau et al. 2013	2.67	-16.29	3.22	0.83				

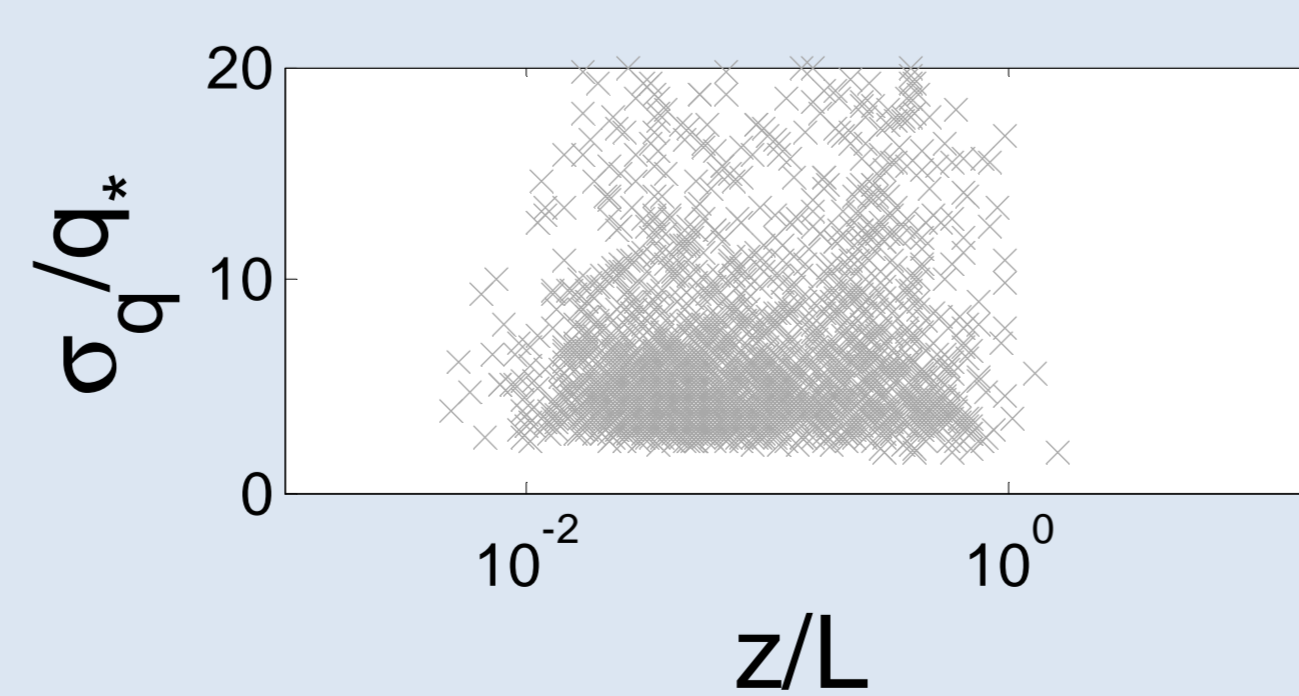


Figure 4: Scaled standard deviation of humidity with the stability parameter $\zeta = z/L$, for $\zeta > 0$ (stable), for Hochhäuser.

Conclusions

- ✓ Local similarity can be applied at i-Box sites, for temperature (stable and unstable) and for humidity variance (unstable)
- ✓ No universality of the results (different functions than literature)
- ✓ The best-fit curve is in most of the cases higher than the Nadeau et al. (2013) curve
- ✓ Site-to-site dependence for temperature variance
- ✓ Temperature variance (stable): the -1 exponent is not valid in the flat i-Box sites
 - Slope dependence?
- ✓ Similar curves for i-Box sites in the case of humidity variance (unstable)
 - Can one local similarity function be applied in complex terrain?

References

Foken T., and Wichura B. 1996. Agric. For. Meteorol., 78, 83–105. Moore, C. J., 1986. Bound.-Layer Meteorol., 37, 17–35. Moraes O.L.L., Acevedo O.C., Degrazia G.A., Anfossi D., da Silva R., Anabor V. 2005. Atmos Environ 39: 3103–3112. Nadeau D.F., Pardyjak E.R., Higgins C.W., Parlange M.B. 2013. Boundary-Layer Meteorol., 147, 401–419, DOI 10.1007/s10546-012-9787-5. Schotanus P., Nieuwstadt F.T.M., De Bruin H.A.R. 1983. Boundary-Layer Meteorol., 26, 81–93. Stiperski I., Rotach M.W. 2015. In press, Boundary-Layer Meteorol. Tampieri F., Maurizi A., Viola A. 2009. Boundary-Layer Meteorol 132:31–42. Tillman, J. E. 1972. J. Appl. Meteorol., 11:753–792. Wyngaard J.C. 1973. Workshop on Micrometeorology, Amer. Meteorol. Soc., Boston, 101–150. Van Dijk A., Kohsiek W. DeBruin H.A.R. 2003. J Atmos Oceanic Tech, 20, 143–151.